

## Announcement

# Seminar on Deformation Quantization

**27. 1. 2023 at 2pm CET (two talks of 45min each)**

Seminarroom SE 30

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## Deformations of Araki-Woods algebras

Starting from the familiar Weyl algebra on a Bose Fock space over a Hilbert space  $\mathcal{H}$ , we introduce a family of von Neumann algebras  $\mathcal{L}_T(H)$  that can be thought of as deformations of the von Neumann algebra generated by Weyl operators  $W(h)$ ,  $h \in H$ . Here  $H \subset \mathcal{H}$  is a real (standard) subspace of  $\mathcal{H}$ , and  $T$  a "twist" (or deformation), namely a selfadjoint operator on  $\mathcal{H} \otimes \mathcal{H}$  satisfying a positivity condition.

These algebras are called twisted Araki-Woods algebras. They naturally arise in representations of Wick algebras and provide a general framework in which many special cases such as the algebras underlying free Bose fields (on Bose Fock space), free Fermi fields (on Fermi Fock space), integrable QFT models (on S-symmetric Fock space), but also free group factors (on full Fock space) can be discussed in a unified manner.

We will explain the modular theory of these algebras which is closely linked to  $T$  being braided and crossing-symmetric, and consider the dependence of  $\mathcal{L}_T(H)$  on the twist  $T$  (which is quite discontinuous) and the standard subspace  $H$ . This naturally leads to inclusions  $\mathcal{L}_T(K) \subset \mathcal{L}_T(H)$  and applications in QFT.

No deep background in QFT or von Neumann algebras is assumed, only a working knowledge of Hilbert spaces and functional analysis.

Invited by Stefan Waldmann